Finding the appropriate complexity to model the charring of timber

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Motivation: Timber





Image from Skidmore, Owings & Merril LLP

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It is about char

- A structures needs to **maintain its integrity** during a fire
- Char has negligible mechanical strength and increases thermal resistance
- Charring is assumed constant based on the standard fire
- Char forms as a result of heat and pyrolysis chemistry. It **depends** on the **fire.**

Predict the charring behaviour of timber under all fire scenarios



Seestadt Aspern (Vienna), New Civil Engineer 2016







Seestadt Aspern (Vienna), New Civil Engineer 2016



Reszka 2018

Charring: a multi-physics problem



Empirical Model

Computational Model



Empirical Model

- Pen and Paper
- Easy to validate and justify
- Only for specific conditions and geometries
- Inaccurate in unknown conditions

Computational Model



Simplest: Universal Charring Rate



Limitation:

- Chemical composition
- Permeability
- Moisture Content
- Standard Fire
- Semi-infinite solid

Example: Universal Charring Rate



Cachim, P. B., & Franssen, J. M. (2010). Assessment of Eurocode 5 charring rate calculation methods. *Fire Technology*, *46*(1), 169–181.

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Computational Model

- Computationally Expensive
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Complex: Bryden's model



Table 2		
Summary of the equations used	to model solid	phase pyrolysis of wood

Conservation of wood	$\partial \tilde{ ho}_{\mathbf{W}} / \partial t = \dot{\omega}_{\mathbf{W}}$	
Conservation of char	$\partial \tilde{\rho}_{\rm C} / \partial t = \dot{\omega}_{\rm C}$	
Conservation of moisture	$\partial ilde{ ho}_{\mathbf{M}} / \partial t = \dot{\omega}_{\mathbf{M}}$	
Pressure evolution	$\frac{\partial}{\partial t} \left(\frac{\varepsilon f p}{T} \right) + f \frac{\partial}{\partial y} \left(\frac{p}{T} \frac{\phi}{\mu} \frac{\partial p}{\partial y} \right) = R \left(\frac{\dot{\omega}_{\rm V}}{W_{\rm V}} + \frac{\dot{\omega}_{\rm L}}{W_{\rm L}} + \frac{\dot{\omega}_{\rm T}}{W_{\rm T}} \right)$	
Conservation of tar	$\partial (\varepsilon f Y_{\mathrm{T}} \rho_{\mathrm{g}}) / \partial t + f \partial (Y_{\mathrm{T}} G_{\mathrm{g}}) / \partial y = \dot{\omega}_{\mathrm{T}}$	
Conservation of water vapor	$\partial (\varepsilon f Y_{\rm V} \rho_{\rm g}) / \partial t + f \partial (Y_{\rm V} G_{\rm g}) / \partial = \dot{\omega}_{\rm V}$	
Conservation of pyrolysis gases	$\partial (\varepsilon f \rho_{\rm g}) / \partial t + f \partial G_{\rm g} / \partial y = \dot{\omega}_{\rm g}$	
Conservation of energy	$\frac{\partial(\tilde{\rho}_{\mathrm{W}}i_{\mathrm{W}}+\tilde{\rho}_{\mathrm{C}}i_{\mathrm{C}}+\tilde{\rho}_{\mathrm{M}}i_{\mathrm{M}})}{\partial t}+f\frac{\partial((Y_{\mathrm{L}}h_{\mathrm{L}}+Y_{\mathrm{T}}h_{\mathrm{T}}+Y_{\mathrm{V}}h_{\mathrm{V}})\rho_{\mathrm{g}}u)}{\partial y}=f\frac{\partial}{\partial y}\left(\lambda_{\mathrm{eff}}\frac{\partial T}{\partial y}\right)+\sum\Delta h_{i}^{0}\dot{\omega}_{i}$	
Rate of production of wood	$\dot{\omega}_{\mathbf{W}} = -(k_1 + k_2 + k_3)\tilde{ ho}_{\mathbf{W}}$	
Rate of production of char	$\dot{\omega}_{\mathrm{C}} = k_3 \tilde{ ho}_{\mathrm{W}} + \varepsilon f k_5 ho_{\mathrm{T}}$	
Rate of production of moisture	$\dot{\omega}_{ m M} = - k_6 ilde{ ho}_{ m M} + k_7 G_{ m V}$	
Rate of production of tar	$\dot{\omega}_{\mathrm{T}} = k_1 \tilde{ ho}_{\mathrm{W}} - \varepsilon f(k_4 + k_5) Y_{\mathrm{T}} ho_{\mathrm{g}}$	
Rate of production of vapor	$\dot{\omega}_{ m V} = k_6 \tilde{ ho}_{ m M} - k_7 G_{ m V}$	
Rate of production of gas	$\dot{\omega}_{\mathrm{g}} = (k_1 + k_2) \tilde{ ho}_{\mathrm{W}} - \varepsilon f k_5 ho_{\mathrm{T}} + k_6 ho_{\mathrm{M}} - k_7 G_{\mathrm{V}}$	
Heat release rate	$\dot{e} = k_1 \tilde{\rho}_{\rm W} \Delta h_1 + k_2 \tilde{\rho}_{\rm W} \Delta h_2 + k_3 \tilde{\rho}_{\rm W} \Delta h_3 + \varepsilon f k_4 Y_{\rm T} \rho_{\rm g} \Delta h_4 + \varepsilon f k_5 Y_{\rm T} \rho_{\rm g} \Delta h_5 + (k_6 \tilde{\rho}_{\rm M} - k_7 G_{\rm V}) \Delta h_6$	

Bryden, K. M., & Hagge, M. J. (2003). Modeling the combined impact of moisture and char shrinkage on the pyrolysis of a biomass particle. *Fuel*, *82*(13), 1633–1644.

Example: Bryden's model



Bryden, K. M., Ragland, K. W., & Rutland, C. J. (2002). Modeling thermally thick pyrolysis of wood. *Biomass and Bioenergy*, 22(1), 41–53. Bryden KM, Hagge MJ. Modeling the combined impact of moisture and char shrinkage on the pyrolysis of a biomass particle. Fuel. 2003;82(13):1633–44.

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Computational Model







It is about uncertainty



Appropriate level of complexity is determined by experiments

How do we get there?



The current model



Heat Transfer

Experiments: Kashiwagi, Ohlemiller, and Werner (1987)

Code: Gpyro

Solid-Phase: mass, species, and energy

Gas-Phase: mass, species, and momentum

Boundaries: convection & radiation

Properties: Literature

No Calibration





















Is the 300 Isotherm conservative?







Is the 300 Isotherm conservative?







Is the 300 Isotherm conservative?







Conclusion

- The appropriate model is neither the most complex or the most simplest.
- We developed a novel model that performs well across scales
- It gives new insight into the strength decay of timber
- Introduced a framework for complexity and uncertainty
- The universal charring rate might be non-conservative under certain heating conditions.



Back – UP Slides



















